

# A17

## Extra credit module 17

### ANOVA (analysis of variance)

Stat 251

#### Instructions:

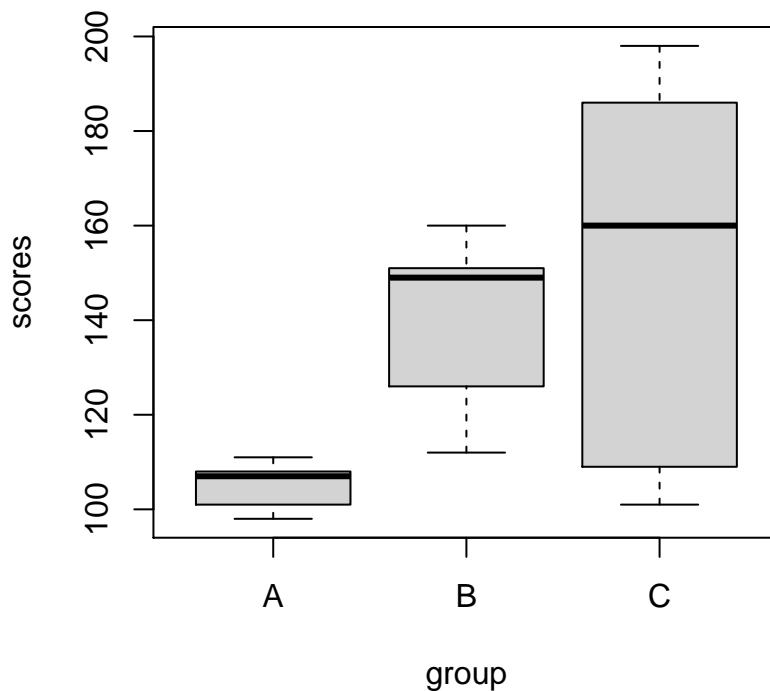
Only upload in BbLearn. Follow directions on Assignments link on class website for BbLearn submissions.

This assignment is worth up to 3.5 points **if and only if you complete ALL problems**

- (1) State the assumptions of ANOVA as from the lecture notes
- (2) A video game developer is testing a new game on three different groups. Each group represents a different target market for the game. The developer collects scores from a random sample from each group.
  - (a) Complete an ANOVA table using the values given below, including the group means, group standard deviations, group samples sizes, and grand mean
  - (b) State the hypotheses for this dataset

```
boxplot(scores~group,data=videogame,main='Videogame scores by group')
```

**Videogame scores by group**



```
gaming
```

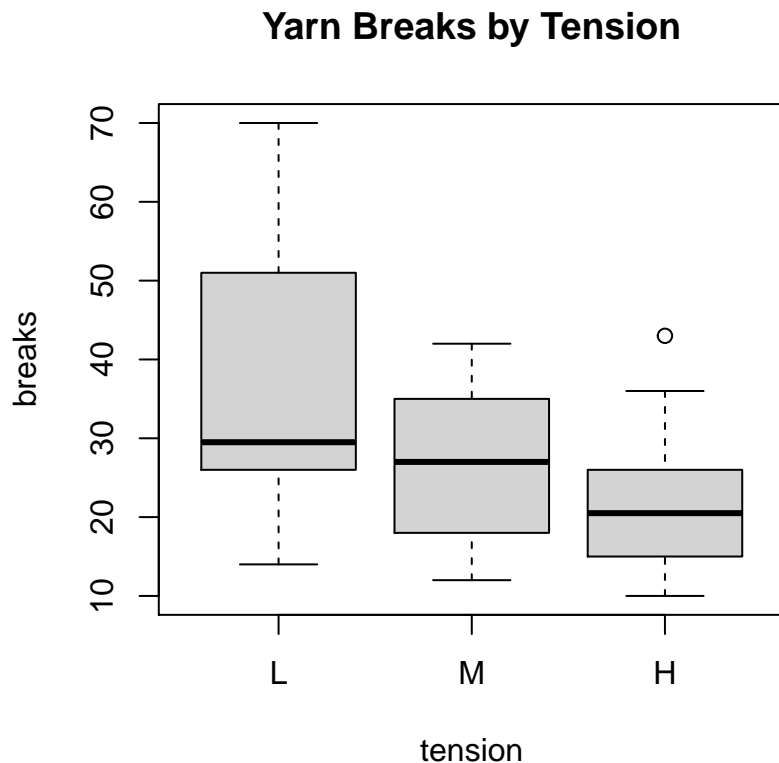
```
  means  vars      sds ns
A 105.0  28.5  5.338539  5
B 139.6 395.3 19.882153  5
C 150.8 1944.7 44.098753  5
```

```
grandmean
```

```
[1] 131.8
```

- (3) An experiment was conducted to see how differing levels of tension on yarn during weaving affects the number of breaks. The dataset gives the number of warp breaks per loom, where a loom corresponds to a fixed length of yarn. Lengths of yarn were randomly assigned to one of three tension levels: H (high), M (medium), and L (low), with each tension level having eighteen lengths of yarn. Is there sufficient evidence the breaks differ by tension levels?
- State hypotheses of ANOVA for the breaks by tension level
  - State  $F$  statistic,  $p$ value, results of the test, and conclusion in context
  - Based on your ANOVA test, is it appropriate to conduct a multiple comparison test, specifically Tukey's test? Briefly explain why.
  - If appropriate, conduct Tukey's HSD test with the provided output. State which levels are or are not different. Is there a tension level that is the lowest?

```
boxplot(breaks~tension,data=yarn,main='Yarn Breaks by Tension')
```



```
anova(fit)
```

Analysis of Variance Table

Response: breaks

```
      Df Sum Sq Mean Sq F value   Pr(>F)
tension    2 2034.3  1017.13   7.2061 0.001753 **
Residuals 51  7198.6   141.15
```

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

```
HSD.test(fit2,'tension',group=T,console=T)
```

Study: fit2 ~ "tension"

HSD Test for breaks

Mean Square Error: 141.1481

tension, means

	breaks	std	r	Min	Max
H	21.66667	8.352527	18	10	43
L	36.38889	16.446487	18	14	70
M	26.38889	9.121009	18	12	42

Alpha: 0.05 ; DF Error: 51

Critical Value of Studentized Range: 3.413883

Minimum Significant Difference: 9.559824

Treatments with the same letter are not significantly different.

	breaks	groups
L	36.38889	a
M	26.38889	b
H	21.66667	b